

Chapter 3 Interpolation, Approximation, and Graphics

3-1 Lagrange Interpolating Polynomials

Given a set of data $\{(x_0, f(x_0)), (x_1, f(x_1)), (x_2, f(x_2)), \dots, (x_n, f(x_n))\}$ for $x_0 < x_1 < x_2 < \dots < x_n$, then there exists a unique polynomial $p(x)$ of degree at most n with the property that

$f(x_k) = p(x_k)$, $k=0, 1, 2, \dots, n$, and $p(x) = \sum_{k=0}^n f(x_k)L_{n,k}(x)$, where

$$L_{n,k}(x) = \frac{(x-x_0)(x-x_1)\cdots(x-x_{k-1})(x-x_{k+1})\cdots(x-x_n)}{(x_k-x_0)(x_k-x_1)\cdots(x_k-x_{k-1})(x_k-x_{k+1})\cdots(x_k-x_n)} = \prod_{\substack{i=0 \\ i \neq k}}^n \frac{(x-x_i)}{(x_k-x_i)}$$

Ex. Given $x_0=2$, $x_1=2.5$, and $x_2=4$, find a polynomial to fit $f(x)=1/x$.

(Sol.) $f(x_0)=0.5$, $f(x_1)=0.4$, $f(x_2)=0.25$

$$L_{2,0}(x) = \frac{(x-2.5)(x-4)}{(2-2.5)(2-4)} = x^2 - 6.5x - 10$$

$$L_{2,1}(x) = \frac{(x-2)(x-4)}{(2.5-2)(2.5-4)} = \frac{-4x^2 + 24x - 32}{3}$$

$$L_{2,2}(x) = \frac{(x-2)(x-2.5)}{(4-2)(4-2.5)} = \frac{x^2 - 4.5x + 5}{3}$$

$$\begin{aligned} \therefore p(x) &= 0.5 \cdot (x^2 - 6.5x - 10) + 0.4 \cdot \left(\frac{-4x^2 + 24x - 32}{3} \right) + 0.25 \cdot \left(\frac{x^2 - 4.5x + 5}{3} \right) \\ &= 0.05x^2 - 0.425x + 1.15 \end{aligned}$$

The **error** in Lagrange polynomial for x in $[a, b]$ is

$$\frac{f^{(n+1)}(\xi(x))}{(n+1)!} (x-x_0)(x-x_1)\cdots(x-x_n), \text{ where } \xi(x) \text{ in } (a, b) \text{ and } f \in C^{n+1}[a, b]$$

\Rightarrow In case $x > x_n$, or $x < x_0$, the error is large. But in case $x_0 < x < x_n$, the error is small.

3-2 Cubic Spline Interpolation

A very smooth curve for connecting all the given data can be obtained by setting $S_j(x_j)=f(x_j)$, $S_j(x_{j+1})=S_{j+1}(x_{j+1})$, $S_j'(x_{j+1})=S_{j+1}'(x_{j+1})$, and $S_j''(x_{j+1})=S_{j+1}''(x_{j+1})$, where $j=0, 1, 2, \dots, n$.

Boundary condition 1: $S_0''(x_0)=S_{n-1}''(x_n)=0$

Boundary condition 2: $S_0'(x_0)=f'(x_0)$ and $S_{n-1}'(x_n)=f'(x_n)$

Let $S_j(x) = a_j + b_j(x - x_j) + c_j(x - x_j)^2 + d_j(x - x_j)^3$ and $h_j = x_{j+1} - x_j$

$$\left. \begin{aligned} S_j(x_j) = f(x_j) &\Rightarrow a_j = f(x_j) \\ S_j(x_{j+1}) = S_{j+1}(x_{j+1}) &\Rightarrow a_{j+1} = a_j + b_j h_j + c_j h_j^2 + d_j h_j^3 \\ S_j'(x_{j+1}) = S_{j+1}'(x_{j+1}) &\Rightarrow b_{j+1} = b_j + 2c_j h_j + 3d_j h_j^2 \\ S_j''(x_{j+1}) = S_{j+1}''(x_{j+1}) &\Rightarrow c_{j+1} = c_j + 3d_j h_j \end{aligned} \right\}$$

$$\Rightarrow h_{j-1}c_{j-1} + 2(h_{j-1} + h_j)c_j + h_j c_{j+1} = \frac{3}{h_j}(a_{j+1} - a_j) - \frac{3}{h_{j-1}}(a_j - a_{j-1}),$$

$j=1, 2, \dots, n-1 \Rightarrow AC=B$, where A is a tri-diagonal matrix.

Input $x_0, x_1, x_2, \dots, x_n \Rightarrow h_0 = x_1 - x_0, h_1 = x_2 - x_1, \dots, h_{n-1} = x_n - x_{n-1} \Rightarrow a_0 = f(x_0), a_1 = f(x_1), \dots, a_n = f(x_n)$

Solve $AC=B \Rightarrow C=A^{-1}B \Rightarrow c_j = ?, j=0, 1, 2, \dots, n$.

$$\Rightarrow b_j = \frac{1}{h_j}(a_{j+1} - a_j) - \frac{h_j}{3}(c_{j+1} + 2c_j) \text{ and } d_j = \frac{1}{3h_j}(c_{j+1} - c_j)$$

$$\Rightarrow S_j(x) = a_j + b_j(x - x_j) + c_j(x - x_j)^2 + d_j(x - x_j)^3$$

In case **Boundary condition 1** is selected:

$$A = \begin{bmatrix} 1 & 0 & 0 & \dots & \dots & 0 \\ h_0 & 2(h_0 + h_1) & h_1 & 0 & \ddots & \vdots \\ 0 & h_1 & 2(h_1 + h_2) & h_2 & \ddots & \vdots \\ \vdots & \ddots & \ddots & \ddots & \ddots & \vdots \\ 0 & \dots & 0 & \ddots & \ddots & 1 \end{bmatrix}, B = \begin{bmatrix} 0 \\ \frac{3}{h_1}(a_2 - a_1) - \frac{3}{h_0}(a_1 - a_0) \\ \vdots \\ \frac{3}{h_{n-1}}(a_n - a_{n-1}) - \frac{3}{h_{n-2}}(a_{n-1} - a_{n-2}) \\ 0 \end{bmatrix}$$

In case **Boundary condition 2** is selected:

$$A = \begin{bmatrix} 2h_0 & h_0 & 0 & \dots & 0 \\ h_0 & 2(h_0 + h_1) & h_1 & \ddots & \vdots \\ 0 & h_1 & 2(h_1 + h_2) & h_2 & 0 \\ \vdots & \ddots & \ddots & \ddots & h_{n-1} \\ 0 & \dots & 0 & h_{n-1} & 2h_{n-1} \end{bmatrix}, B = \begin{bmatrix} \frac{3}{h_0}(a_1 - a_0) - 3f'(a) \\ \frac{3}{h_1}(a_2 - a_1) - \frac{3}{h_0}(a_1 - a_0) \\ \vdots \\ \frac{3}{h_{n-1}}(a_n - a_{n-1}) - \frac{3}{h_{n-2}}(a_{n-1} - a_{n-2}) \\ 3f'(b) - \frac{3}{h_{n-1}}(a_n - a_{n-1}) \end{bmatrix}$$

3-3 The Least-Square Approximation Method

For discrete data $\{(x_0, y_0), (x_1, y_1), (x_2, y_2), \dots, (x_n, y_n)\}$, a function $y=g(x)$ is said to fit these data if $I = \sum_{i=0}^n [y_i - g(x_i)]^2$ achieves its minimum.

For a continuous function $y=f(x)$, $x \in [a, b]$, another function $y=p(x)$ is said to fit the above function if $I = \int_a^b [f(x) - p(x)]^2 dx$ is minimized.

Eg. Fit the data in the table by $y=ax^2+bx+c$.

| i | 0 | 1 | 2 | 3 | 4 |
|-------|---|-------|--------|-------|--------|
| x_i | 0 | 0.25 | 0.5 | 0.75 | 1 |
| y_i | 1 | 1.284 | 1.6487 | 2.117 | 2.7183 |

(Sol.) $I = \sum_{i=0}^4 [y_i - ax_i^2 - bx_i - c]^2$, $\partial I / \partial a = 0$, $\partial I / \partial b = 0$, $\partial I / \partial c = 0$
 $\Rightarrow a=0.8347, b=0.8641, c=1.0052$

Eg. Fit $y=\sin(\pi x)$ by $y=ax^2+bx+c$ on $x \in [0, 1]$.

(Sol.) $I = \int_0^1 [\sin(\pi x) - (ax^2 + bx + c)]^2 dx = \int_0^1 \sin^2(\pi x) dx + a^2 \int_0^1 x^4 dx$
 $+ b^2 \int_0^1 x^2 dx + c^2 - 2a \int_0^1 x^2 \sin(\pi x) dx - 2b \int_0^1 x \sin(\pi x) dx - 2c \int_0^1 \sin(\pi x) dx$
 $- 2ab \int_0^1 x^3 dx - 2ac \int_0^1 x^2 dx - 2bc \int_0^1 x dx$
 $\partial I / \partial a = 0, \partial I / \partial b = 0, \partial I / \partial c = 0 \Rightarrow a=-4.12251, b=4.12251, c=-0.050465$

In **Matlab** language, we can use the following instructions to find a polynomial to fit the discrete data $\{(x_0, y_0), (x_1, y_1), (x_2, y_2), \dots, (x_n, y_n)\}$.

```
>>x=[40,80,120,160,200,240,280,320];
>>y=[19,35,52,69,85.4,101,118.2,133.2];
>>p=polyfit(x,y,2) %求出2次多項式之係數
>>p2=poly2str(p,'x') %用x表示二次多項式
```

```
p =
-0.0000    0.4270    1.6286

p2 =
-4.6131e-005 x^2 + 0.42696x + 1.6286
```

3-4 Rational Function Approximation

Let $r(x) = \frac{p(x)}{q(x)} = \frac{p_0 + p_1x + \dots + p_nx^n}{q_0 + q_1x + \dots + q_mx^m}$ be approximate to $f(x)$. If $f(x) = \sum_{i=0}^{\infty} a_i x^i$, let

$$f(x) - r(x) = f(x) - \frac{p(x)}{q(x)} = \frac{f(x)q(x) - p(x)}{q(x)} = \frac{\sum_{i=0}^{\infty} a_i x^i \cdot \sum_{i=0}^m q_i x^i - \sum_{i=0}^n p_i x^i}{q(x)} \approx 0$$

$$\Rightarrow \left(\sum_{i=0}^k a_i q_{k-i} \right) = p_k, \quad k=0, 1, \dots, n+m$$

Eg. Use $\frac{p_0 + p_1x + p_2x^2 + p_3x^3}{q_0 + q_1x + q_2x^2}$ **to approximate to** e^{-x} .

(Sol.) $n=3, m=2, k=5, e^{-x} = 1 - x + \frac{x^2}{2} - \frac{x^3}{6} + \dots$

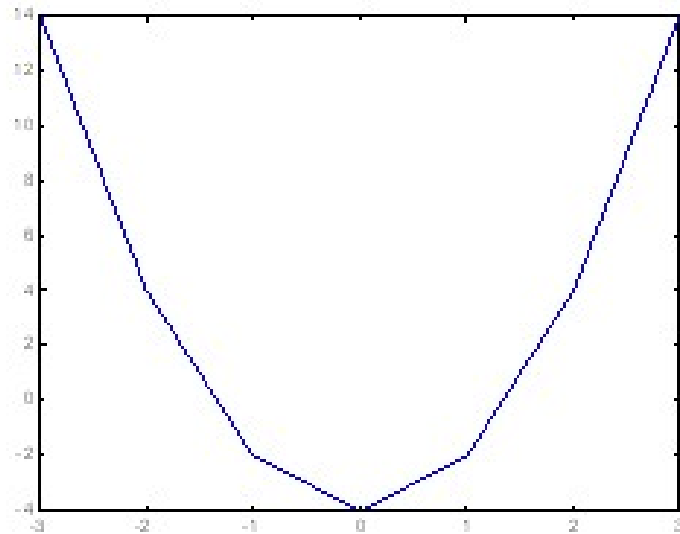
$$\text{Set } q_0=1 \Rightarrow \left(1 - x + \frac{x^2}{2} - \frac{x^3}{6} + \dots \right) (1 + q_1x + q_2x^2) - (p_0 + p_1x + p_2x^2 + p_3x^3)$$

$$\Rightarrow \begin{cases} -\frac{1}{120} + \frac{1}{24}q_1 - \frac{1}{6}q_2 = 0, & \frac{1}{2} - q_1 + q_2 = p_2 \\ \frac{1}{24} - \frac{1}{6}q_1 + \frac{1}{2}q_2 = 0, & -1 + q_1 = p_1 \\ -\frac{1}{6} + \frac{1}{2}q_1 - q_2 = p_3, & 1 = p_0 \end{cases} \Rightarrow r(x) = \frac{1 - \frac{3}{5}x + \frac{3}{20}x^2 - \frac{1}{60}x^3}{1 + \frac{2}{5}x + \frac{1}{20}x^2}$$

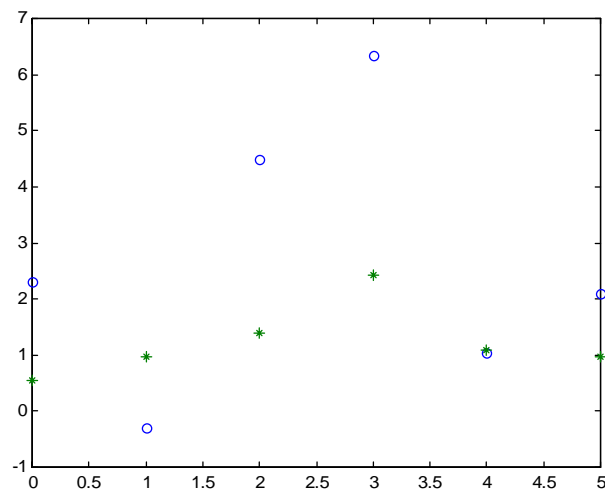
3-5 Draw Graphs Using Matlab Language

In **Matlab** language, we can use the following instructions to draw the 2-dimensional curves of x 's and y 's.

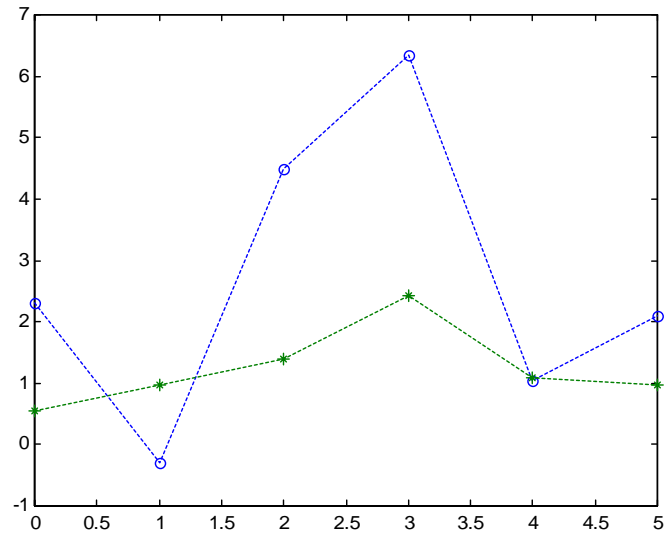
```
>>x=[3,2,1,0,-1,-2,-3];  
>>y=[14,4,-2,-4,-2,4,14];  
>>plot(x,y)
```



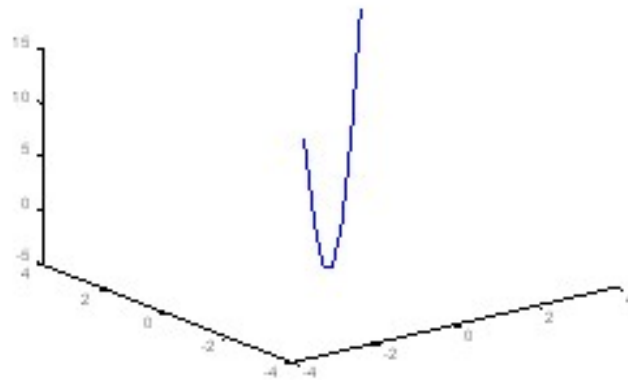
```
>>x=[0 1 2 3 4 5];  
>>y1=[2.3 -0.3 4.5 6.34 1.05 2.09];  
>>y2=[0.55 0.98 1.39 2.43 1.08 0.97];  
>>plot(x,y1,'o',x,y2,'*');
```



```
>>x=[0 1 2 3 4 5];  
>>y1=[2.3 -0.3 4.5 6.34 1.05 2.09];  
>>y2=[0.55 0.98 1.39 2.43 1.08 0.97];  
>>plot(x,y1,'-o',x,y2,'-*');
```



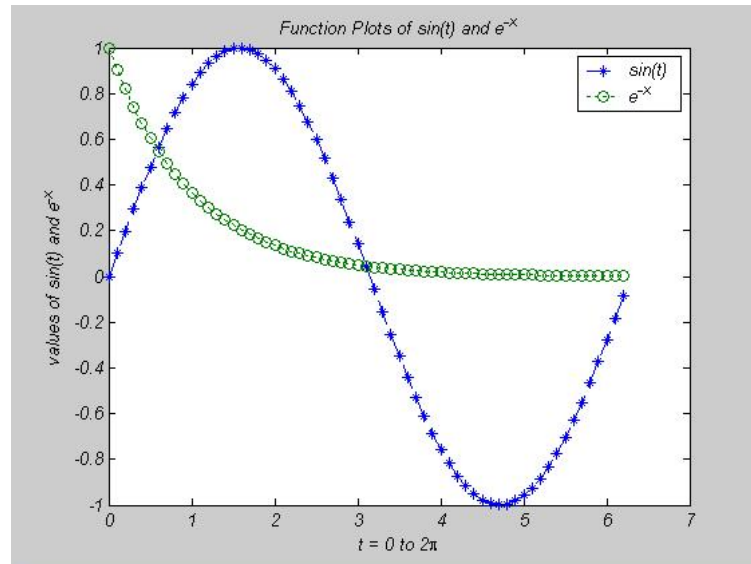
```
>>x=[3,2,1,0,-1,-2,-3];  
>>y=[2.9,1.9,0.9,-0.1,-1.1,-2.1,-3.1];  
>>z=[14,4,-2,-4,-2,4,14];  
>>plot3(x,y,z)
```



```

>>x = 0:0.1:2*pi; % x=0, 0.1, 0.2, 0.3, 0.4, ..., 2π
>>y1 = sin(x);
>>y2 = exp(-x);
>>plot(x, y1, '--*', x, y2, 'o');
>>xlabel('t = 0 to 2π');
>>ylabel('values of sin(t) and e^{-x}')
>>title('Function Plots of sin(t) and e^{-x}');
>>legend('sin(t)', 'e^{-x}');

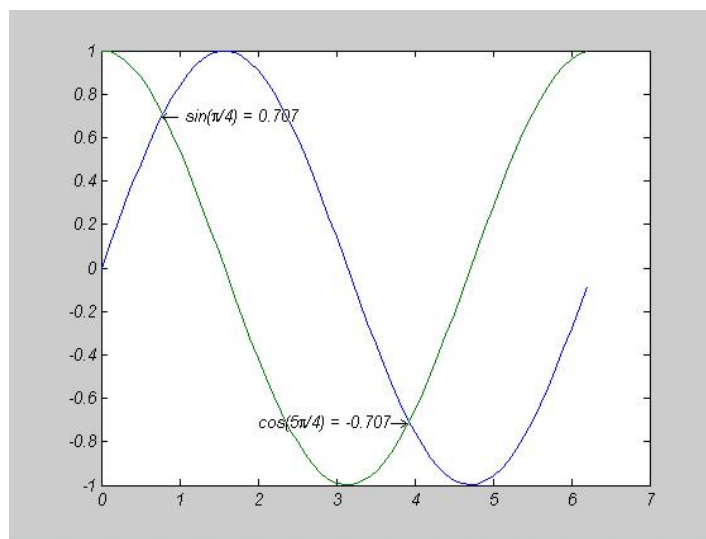
```



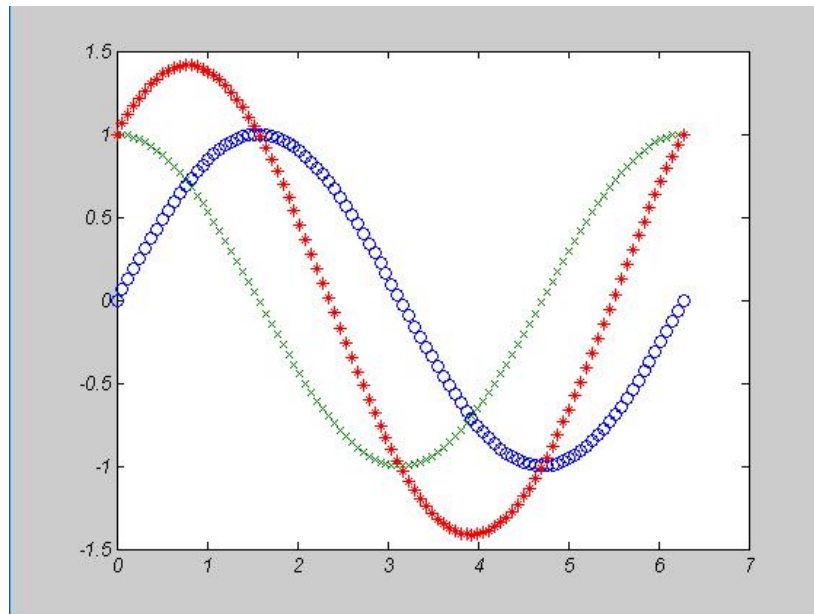
```

>>x = 0:0.1:2*pi;
>>plot(x, sin(x), x, cos(x));
>>text(pi/4, sin(pi/4), '\leftarrow sin(\pi/4) = 0.707');
>>text(5*pi/4, cos(5*pi/4), 'cos(5\pi/4)=-0.707\rightarrow', 'HorizontalAlignment',
'right');

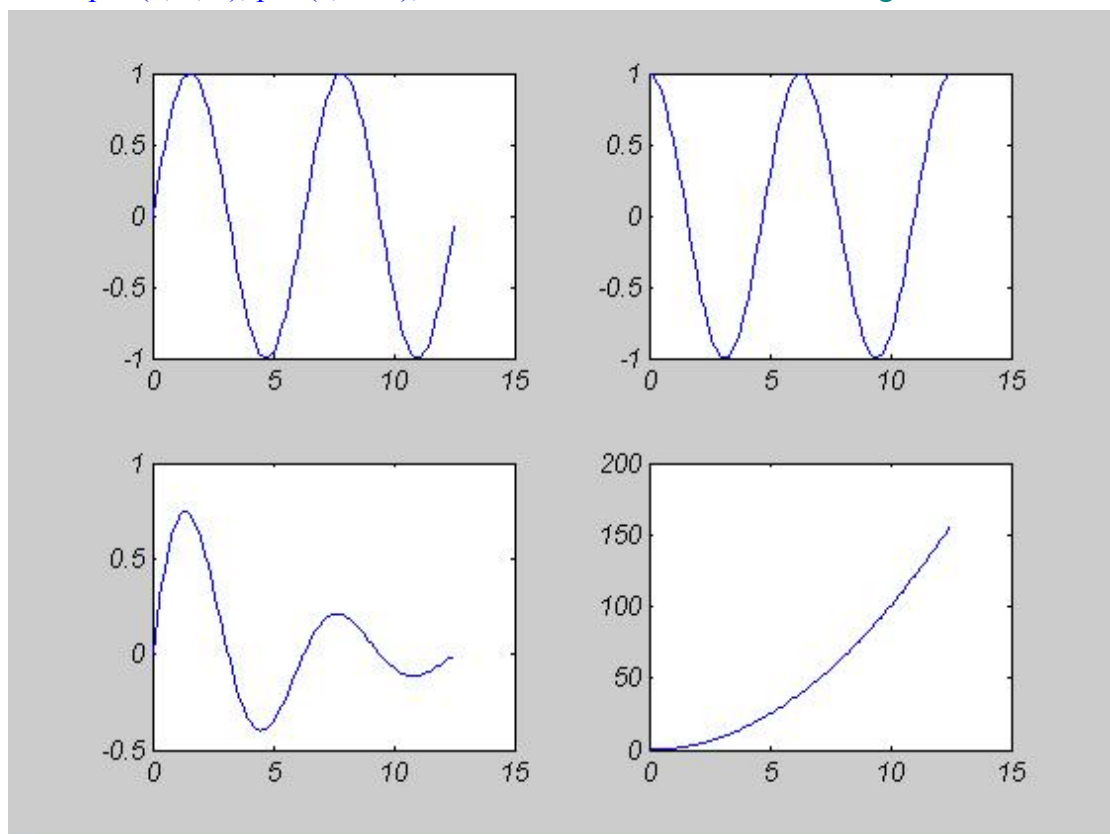
```



```
>>x = linspace(0, 2*pi); % 在 0 到 2π 間，等分 100 個點
>>plot(x, sin(x), 'o', x, cos(x), 'x', x, sin(x)+cos(x), '*');
```



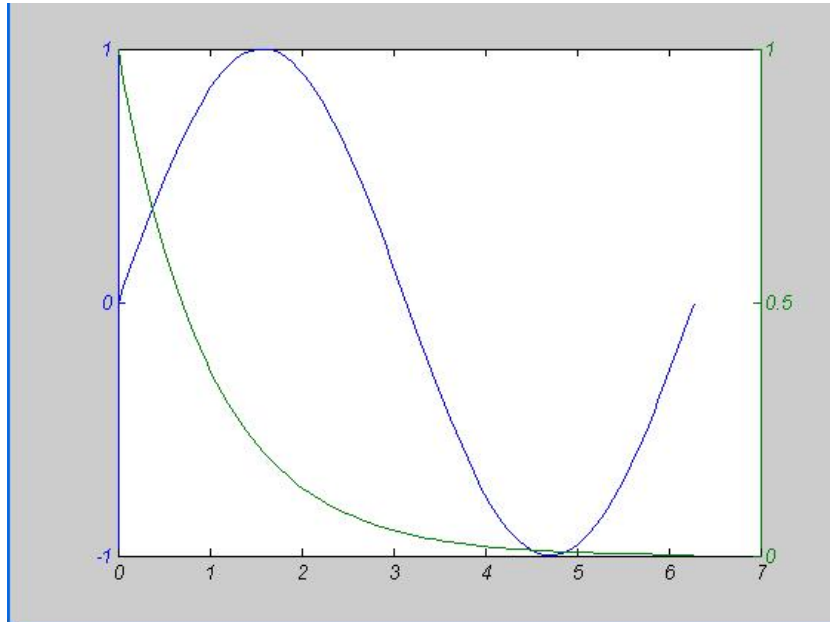
```
>>x = 0:0.1:4*pi; % x=0, 0.1, 0.2, 0.3, 0.4, ..., 4π
>>subplot(2, 2, 1); plot(x, sin(x)); % left-upper
>>subplot(2, 2, 2); plot(x, cos(x)); % right-upper
>>subplot(2, 2, 3); plot(x, sin(x).*exp(-x/5)); % left-down
>>subplot(2, 2, 4); plot(x, x.^2); % right-down
```




```

>>x=linspace(0, 2*pi); % 在 0 到 2π 間，等分 100 個點
>>y1=sin(x);
>>y2=exp(-x);
>>plotyy(x, y1, x, y2); % 畫出兩個刻度不同的 y 軸，分別是 y1, y2

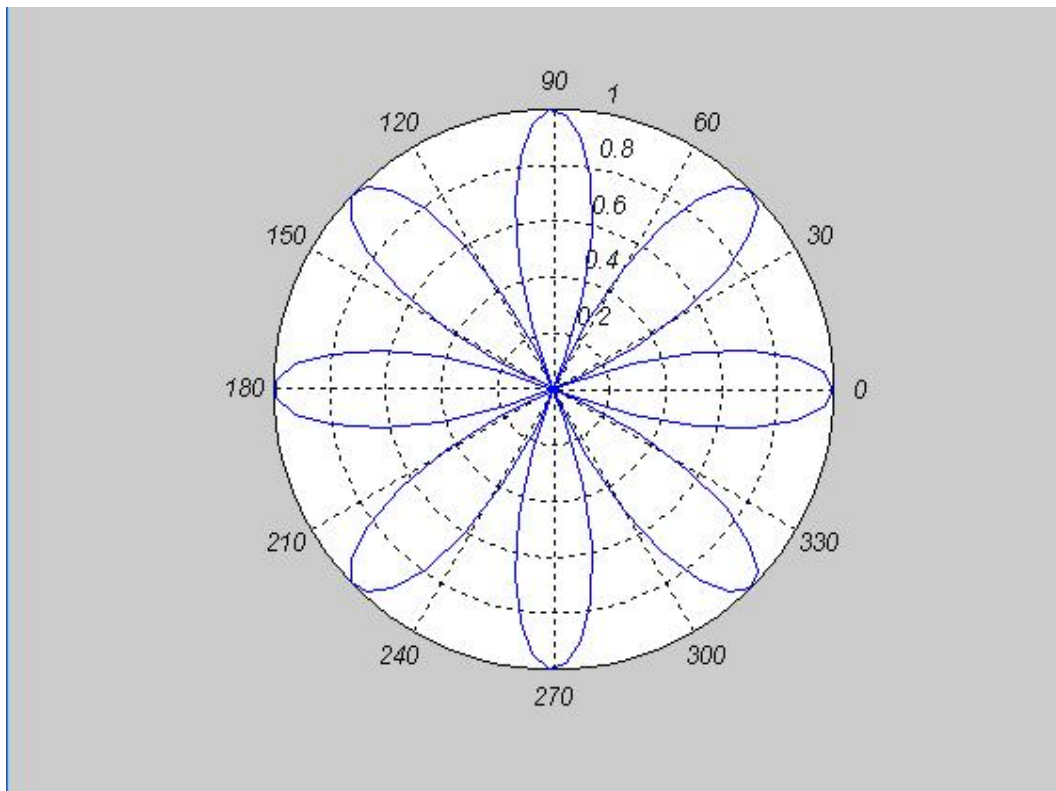
```



```

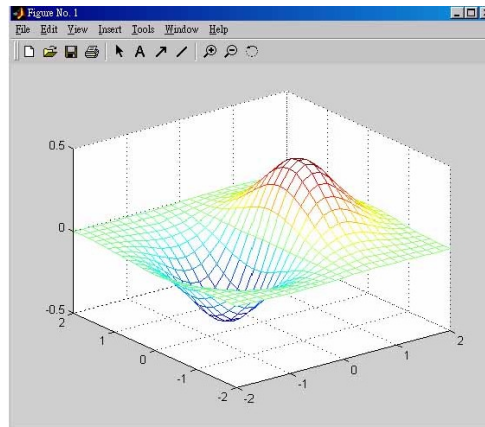
>>theta=linspace(0, 2*pi);
>>r=cos(4*theta);
>>polar(theta,r);

```

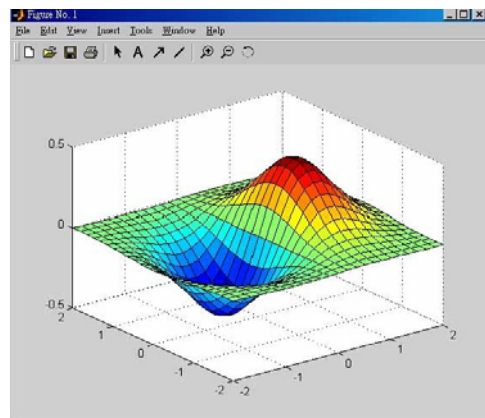


In **Matlab** language, we can use the following instructions to draw the surfaces of x 's, y 's, and z 's.

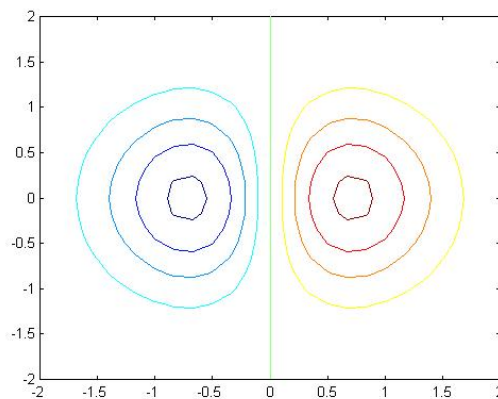
```
>>x=linspace(-2, 2, 25);  
y=linspace(-2, 2, 25);  
[xx,yy]=meshgrid(x, y);  
zz=xx.*exp(-xx.^2-yy.^2); %  $z=x\exp(-x^2-y^2)$   
mesh(xx, yy, zz) % draw  $z=x\exp(-x^2-y^2)$ 
```



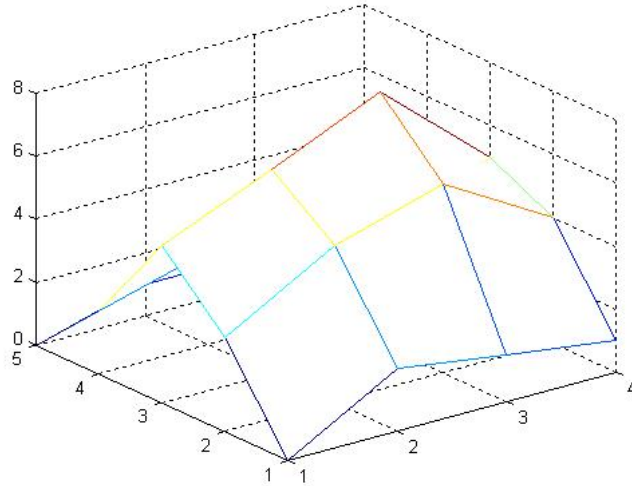
```
>>surf(xx, yy, zz)
```



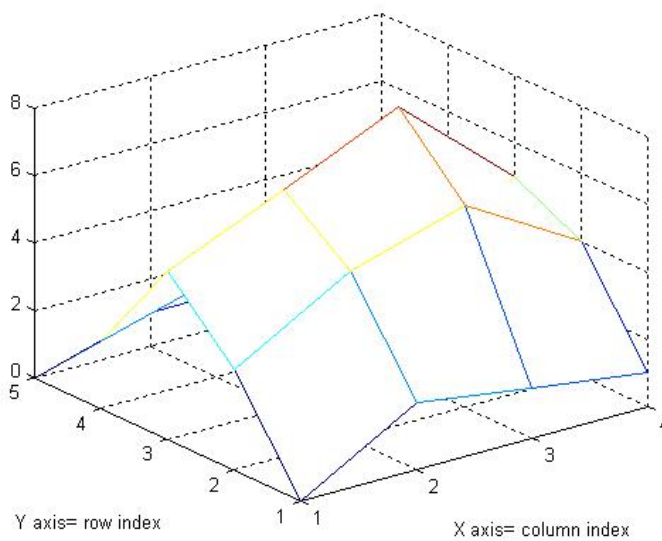
```
>>contour(xx, yy, zz)
```



```
>>x=[1,2,3,4; 1,2,3,4; 1,2,3,4; 1,2,3,4; 1,2,3,4];
y=[1,1,1,1;2,2,2,2;3,3,3,3;4,4,4,4;5,5,5,5];
z=[0,2,1.5,1; 3,5,6,4; 5,6.5,8,5; 2,3,5,3; 0,1,1,0];
mesh(x,y,z)
```



```
>>z=[0,2,1.5,1; 3,5,6,4; 5,6.5,8,5; 2,3,5,3; 0,1,1,0];
mesh(z);
xlabel('X axis= column index');
ylabel('Y axis= row index');
for i=1:size(z,1)
    for j=1:size(z,2)
        h=text(j, i, z(i,j));
    end
end
end
```



Eg. A MATLAB function of drawing 3D/2D profiles (by Dr. W.- Y. Wu 吳維揚博士)

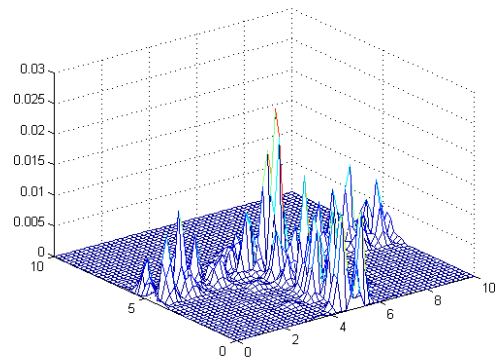
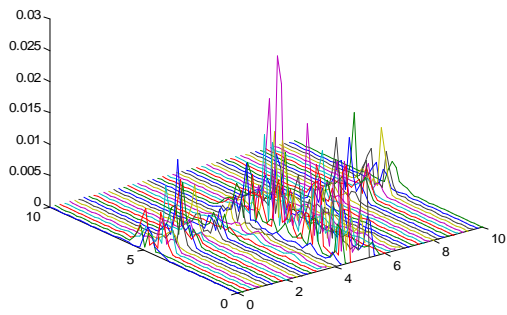
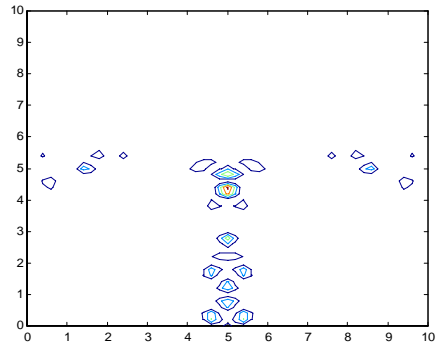
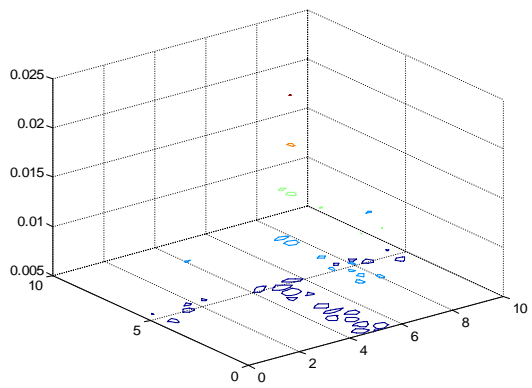
Source program:

```
%read a file and plot
function draw(F,N)
fid=fopen(F,'r');
A=fscanf(fid,'%e',[N,inf]);
A=A.';
M=size(A,1);
if N==2
    plot(A(:,1),A(:,2));
elseif N==3
    count=0;
    for l=1:M
        if A(1)==A(l)
            count=count+1;
        else
            break;
        end
    end
    X=zeros(count,M/count); Y=X; Z=X;
    for t=1:M
        X(t)=A(t,1);
        Y(t)=A(t,2);
        Z(t)=A(t,3);
    end
    figure
    mesh(X,Y,Z);
    figure
    plot3(X,Y,Z);
    figure
    contour(X,Y,Z);
    figure
    contour3(X,Y,Z);
else
    disp('error input');
end
fclose(fid);
```

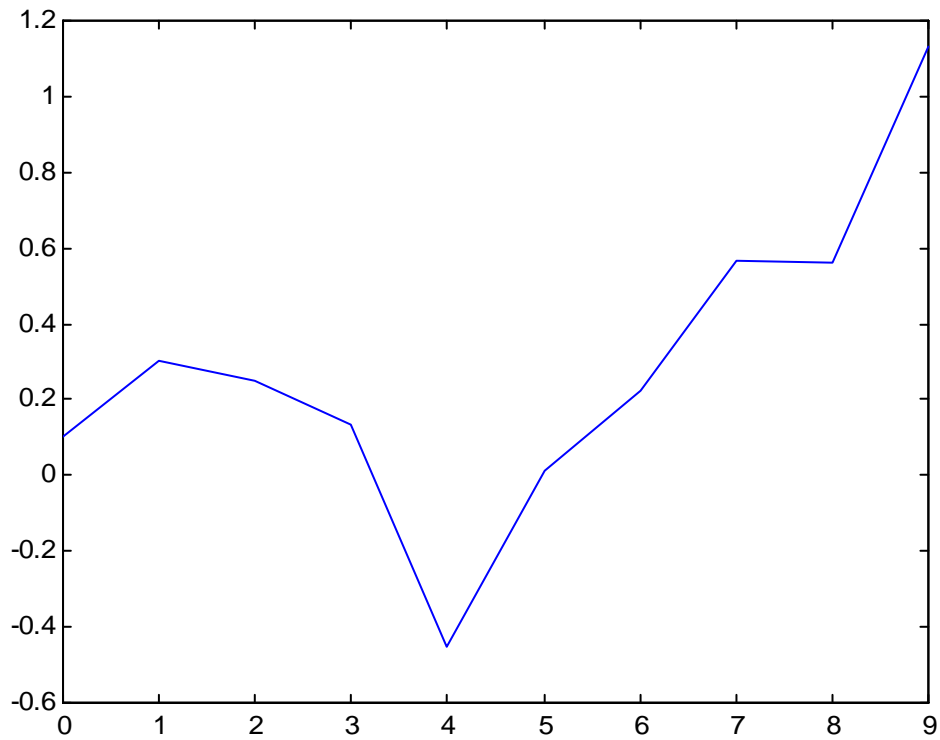
Usages:

1. draw ('c:\directory\3Dfilename',3)
2. draw ('c:\directory\2Dfilename',2)

```
>>draw ('D:\matlab\bin\fort.11',3)
```



```
>>draw ('D:\matlab\bin\fort.12',2)
```



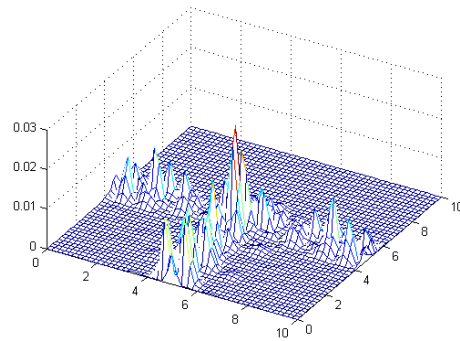
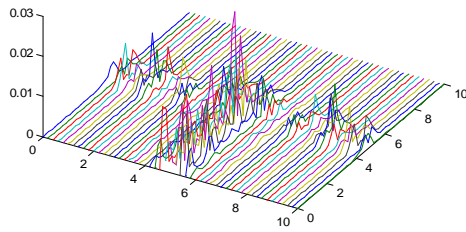
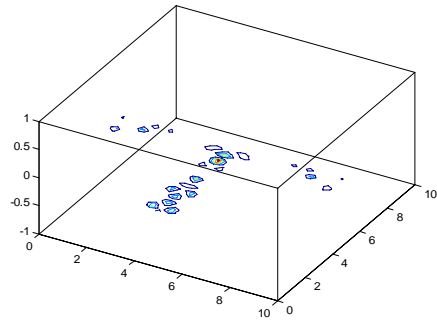
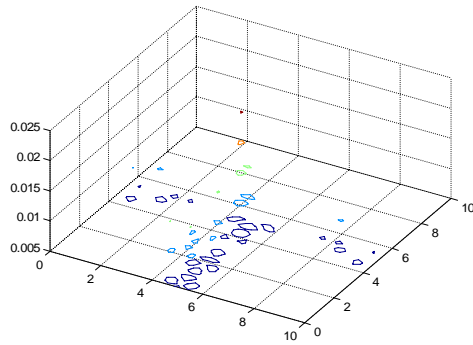
Eg. A modified MATLAB function of drawing 3D profiles from distinct view angles (by Dr. G. -D. Chang 張高德博士)

Source program:

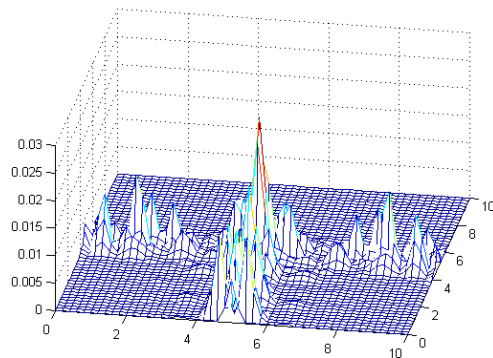
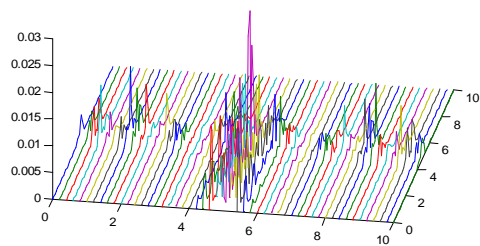
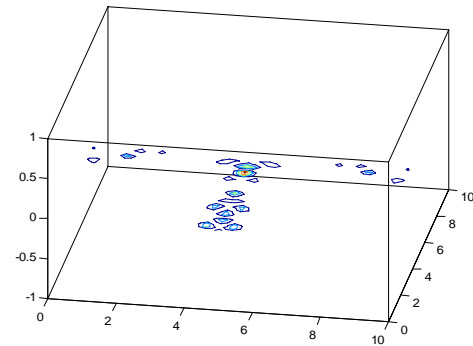
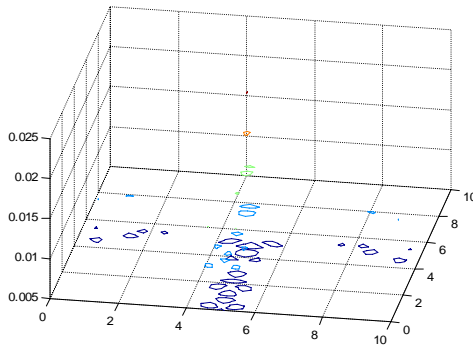
```
function drawc(F,N,angle1,angle2)
fid=fopen(F,'r');
A=fscanf(fid,'%e',[N,inf]);
A=A.';
M=size(A,1);
if N==2
    plot(A(:,1),A(:,2));
elseif N==3
    count=0;
    for l=1:M
        if A(1)==A(l)
            count=count+1;
        else
            break;
        end
    end
    X=zeros(count,M/count); Y=X; Z=X;
    for t=1:M
        X(t)=A(t,1);
        Y(t)=A(t,2);
        Z(t)=A(t,3);
    end
    figure
    mesh(X,Y,Z);
    view([angle1,angle2]);
    figure
    plot3(X,Y,Z);
    view([angle1,angle2]);
    figure
    contour(X,Y,Z);
    view([angle1,angle2]);
    figure
    contour3(X,Y,Z);
    view([angle1,angle2]);
else
    disp('error input');
end
fclose(fid);
```

Usage: drawc ('c:\directory\3Dfilename',3,angle1,angle2)

>>drawc ('D:\matlab\bin\fort.11',3,30,50)



>>drawc ('D:\matlab\bin\fort.11',3,10,40)



Eg. A MATLAB function of drawing distinct 2D curves (by Dr. G. -D. Chang)

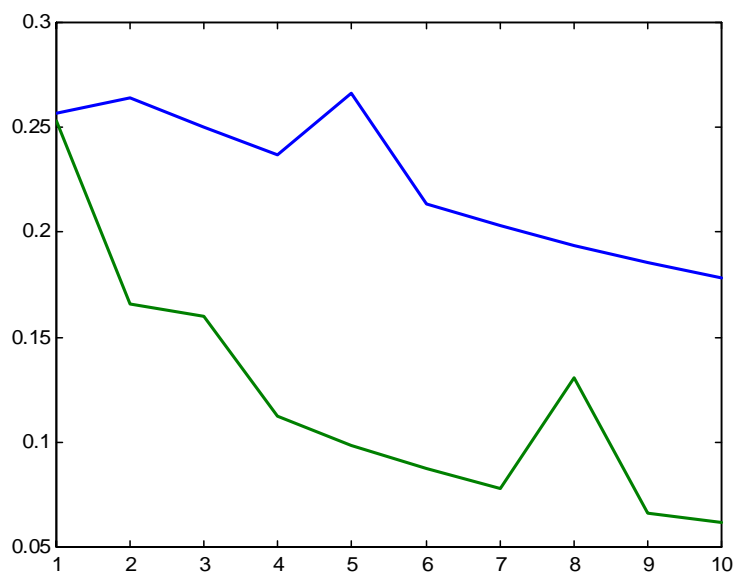
Source program:

```
function draw2D(F,N)
fid=fopen(F,'r');
A=fscanf(fid,'%e',[N,inf]);
fclose(fid);

%clear;
%N=14;
%A=rand(N,100);
A=A.';
ik=1;
for id=1:2:N
    Ax(:,ik)=A(:,id);
    Ay(:,ik)=A(:,id+1);
    ik=ik+1;
end
h1=plot(Ax,Ay);
set(h1,'linewidth',2);
```

Usage: draw2D ('c:\directory\filename having n 2D curves', $2n$)

>>draw2D ('D:\matlab\bin\fort.13',4)



3-6 Image Processing by Matlab Language

Matlab 指令名稱：

| | |
|----------|-----------|
| imread | 讀取影像 |
| imshow | 顯示影像 |
| imwrite | 儲存影像 |
| ginput | 滑鼠圖像輸入 |
| round | 四捨五入 |
| floor | 無條件捨去 |
| ceil | 無條件進位 |
| rgb2gray | 轉成灰階 |
| eval | 執行字串 |
| aviread | 讀取 AVI 檔 |
| aviinfo | 讀取 AVI 訊息 |
| histeq | 平均分布 |
| mean | 平均值 |

Eg. Reconstruction of 3D trajectory of flying baseball by two digital video cameras-Version 1. Assume the pixels of the video screen are 480×720. (by B. -H. Chen, 陳柏皓)

(Sol.) clear all;

```
rgb1=imread('1\1.jpg'); rgb2=imread('1\2.jpg'); rgb3=imread('1\3.jpg');
rgb4=imread('1\4.jpg'); rgb5=imread('1\5.jpg'); rgb6=imread('1\6.jpg');
rgbup=uint8(abs(double(rgb6)-double(rgb5))+abs(double(rgb5)-double(rgb4))+abs(d
ouble(rgb4)-double(rgb3))+abs(double(rgb3)-double(rgb2))+abs(double(rgb2)-double
(rgb1)));
rgb1=imread('2\1.jpg'); rgb2=imread('2\2.jpg'); rgb3=imread('2\3.jpg');
rgb4=imread('2\4.jpg'); rgb5=imread('2\5.jpg'); rgb6=imread('2\6.jpg');
rgb7=imread('2\7.jpg'); rgb8=imread('2\8.jpg'); rgb9=imread('2\9.jpg');
rgbleft=uint8(abs(double(rgb9)-double(rgb8))+abs(double(rgb8)-double(rgb7))+abs(d
ouble(rgb7)-double(rgb6))+abs(double(rgb6)-double(rgb5))+abs(double(rgb5)-double
(rgb4))+abs(double(rgb4)-double(rgb3))+abs(double(rgb3)-double(rgb2))+abs(double
(rgb2)-double(rgb1)));
n1=1; n2=1; n3=1; x1(1)=0; y1(1)=0; x2(1)=0; y2(1)=0;
for j=1:720,
    k1=0; k2=0; sum1=0; sum2=0;
    for i=1:480,
        if rgbup(i,j,1)>=80 & rgbup(i,j,2)>=80 & rgbup(i,j,3)>=80,
            sum1=sum1+(481-i); k1=k1+1;
        end
    end
end
```

```

if rgbleft(i,j,1)>=80 & rgbleft(i,j,2)>=80 & rgbleft(i,j,3)>=80,
    sum2=sum2+(481-i); k2=k2+1;
end
if k1~=0 && sum1~=0 && i==480,
    x1(n1)=sum1/k1; y1(n1)=j; n1=n1+1;
end
if k2~=0 && sum2~=0 && i==480,
    x2(n2)=sum2/k2; y2(n2)=j; n2=n2+1;
end
if k1~=0 && sum1~=0 && k2~=0 && sum2~=0 && i==480,
    x(n3)=j; y(n3)=x1(n1-1); z(n3)=x2(n2-1); n3=n3+1;
end
end
end
end

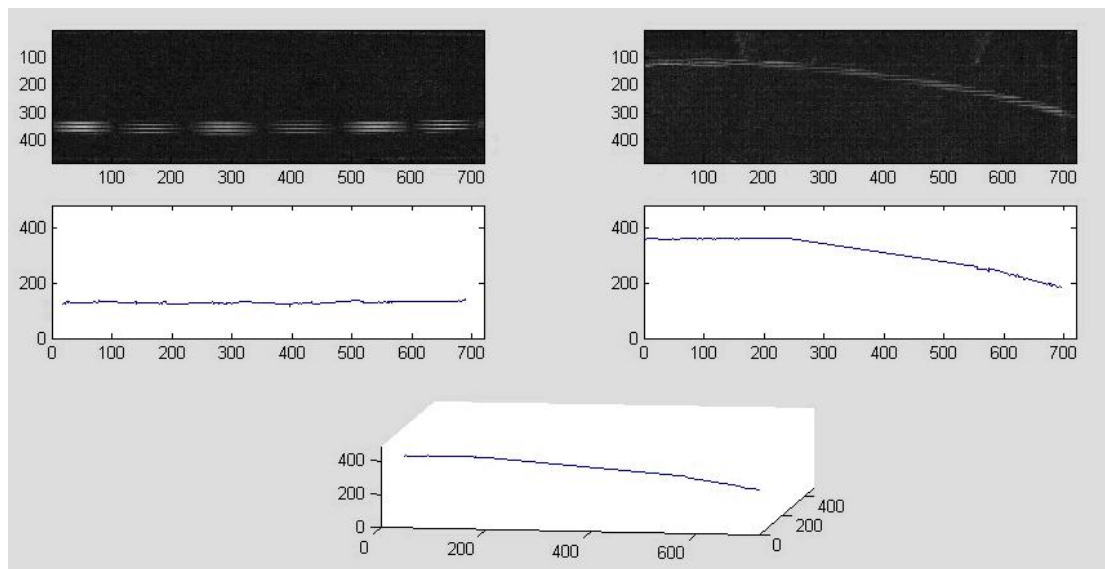
```

```

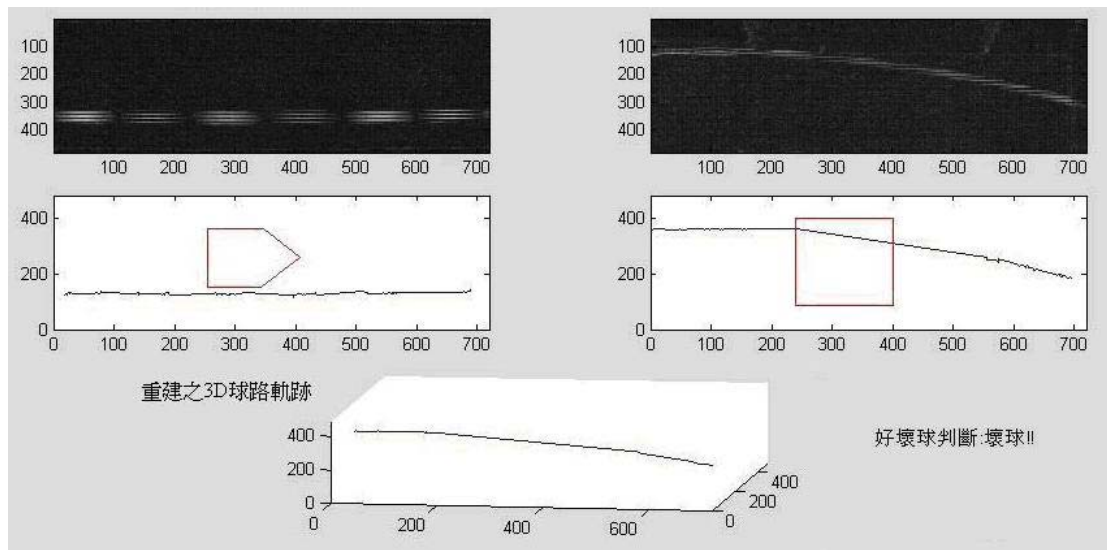
subplot(3,2,1); image(rgbup);
subplot(3,2,2); image(rgbleft);
subplot(3,2,3); plot(y1,x1); axis([0,720,0,480]);
subplot(3,2,4); plot(y2,x2); axis([0,720,0,480]);
subplot(3,2,5); plot(480-y,z); axis([0,480,0,480]);
subplot(3,2,6); plot3(x,y,z); axis([0,720,0,480,0,480]);

```

Results:



Modified results (The range of judging strike is depicted):



∴ The flying ball is not a strike. It is a ball!

Matlab 支援原始的 AVI 檔案

安裝 DVSD codec 可讓 Matlab 支援 DVSD 格式的 AVI.

Eg. Reconstructions of 3D trajectory of pitched baseball by two digital video cameras-Version 2. (AutoReadVideo.m by B. -H. Chen)

(Sol.)



(2005-5-4)

```

clc;
clear all;
close all;
%-----filter setting-----
%blim=[70,70]; % Range:0~255
read_type='v'; % v -> video or p -> picture
filtercontrol=[9,9];% 0,1,3
filterline=[1,300];
afilterline=[1,1];
%inferi=[1,1];
%inferf=[2,3];
sample=[0.7,0.7326];
contrast_select=[9,9]; % 0 -> Increase the contrast , others -> close this function (only
picture type)
predict_num=10; % predict number , predict the in/out trajectory
distance=[300,300];
%-----
%Find the picture number
if read_type=='p',
    filetype='jpg';
    filetarget={'1\','2\'};
    path1=dir(char(filetarget(1)));
    path2=dir(char(filetarget(2)));
    files_count=[0 0];
    for j=1:2,
        for i=1:length(eval(['path' int2str(j)])),
            if findstr(getfield(eval(['path' int2str(j) '(i)']),'name'),filetype),

```

```

        files_count(j)=files_count(j)+1;
    end
end
end
    filenumber=files_count;
end
%-----
for timec=1:2,
    % Control filter:控制讀取範圍
    clear find;
    if filtercontrol(timec)==0,
        i0=1;
        i1=(481-filterline(timec));
    elseif filtercontrol(timec)==1,
        i0=(481-filterline(timec));
        i1=480;
    elseif filtercontrol(timec)==3,
        i0=(481-afilterline(timec));
        i1=(481-filterline(timec));
    else
        i0=1;
        i1=480;
    end
    im_cal=0;im_past=0;
    if read_type=='v',
        % get Up or left/right:利用色差
        f_string=sprintf('%d.avi',timec);
        VideoInfo = aviinfo(f_string);
        I_frame_stop=VideoInfo.NumFrames;
        for ix=1:I_frame_stop
            Video=aviread(f_string,ix);
            if ix>1,
                im_cal=im_cal+abs(double(Video.cdata)-double(im_past));
                im_past=Video.cdata;
            else
                im_past=Video.cdata;
            end
        end
    end
end

```

```

else
    for i=1:filenumber(timec),
        rgb(:,:,i)=imread([filetarget{timec} int2str(i) '!' filetype]);
        if contrast_select(timec)==0,
            rgb(:,:,1,i)=histeq(rgb(:,:,1,i));%histeq() 強化對比
            rgb(:,:,2,i)=histeq(rgb(:,:,2,i));
            rgb(:,:,3,i)=histeq(rgb(:,:,3,i));
        end
        if i>=2,
            im_cal=im_cal+abs(double(rgb(:,:,i))-double(rgb(:,:,i-1)));
        end
    end
end
end
eval(sprintf('rgbo%d=uint8(im_cal);',timec));
%轉成灰階
im=rgb2gray(eval(sprintf('rgbo%d',timec)));
%im=mean(eval(sprintf('rgbo%d',timec)),3)
%im=rgb2ycbcr(eval(sprintf('rgbo%d',timec)));
im=im(:,:,1);
blim=uint8(double(max(max(im)))*sample(timec));
n=1;lk=0;y=0;x=0;o=1;t=2;lnc=0;
%取得有色差位置
for j=1:720,
    k=0;
    sum=0;
    for i=i0:i1,
        if im(i,j)>blim,
            sum=sum+(481-i);
            k=k+1;
        end
    end
    if k~=0 && sum~=0 && i==i1,
        if lk==0,
            lk=k;
        elseif k>lk && o==1 ,
            o=0;
            no=n;
        elseif k<lk && o==0 ,
            o=1;
        end
    end
end

```

```

        nc=no+n;
        if mod(nc,2)~=0,
            nc=nc-1;
        end
        nc=nc/2;
        if nc~=lnc,
            find(1,t)=y(nc);
            find(2,t)=x(nc);
            t=t+1;
            fprintf('x=%0f y=%0f\n',y(nc),x(nc));
        end
        lnc=nc;
    end
    x(n)=sum/k;
    y(n)=j;
    n=n+1;
    lk=k;
end
end
end
find(1,1)=1;
%前端點預測

temp=(find(2,3:(3+predict_num))-find(2,2:(2+predict_num)))/(find(1,3:(3+predict_num))-find(1,2:(2+predict_num)));
find(2,1)=find(2,2)-mean(temp)*(find(1,2)-find(1,1));

%find(2,1)=find(2,1+inferi(timec))-(find(2,2+inferi(timec))-find(2,1+inferi(timec)))/(find(1,2+inferi(timec))-find(1,1+inferi(timec)))*(find(1,1+inferi(timec))-find(1,1));
if find(2,t-1)<=480,
    find(1,t)=720;
    %後端點預測

temp=(find(2,(t-predict_num):(t-1))-find(2,(t-predict_num-1):(t-2)))/(find(1,(t-predict_num):(t-1))-find(1,(t-predict_num-1):(t-2)));
find(2,t)=find(2,t-1)+mean(temp)*(find(1,t)-find(1,t-1));

%find(2,t)=find(2,t-inferf(timec))+(find(2,t-inferf(timec))-find(2,t-inferf(timec)-1))/(fi

```

```

nd(1,t-inferf(timec))-find(1,t-inferf(timec)-1))*(find(1,t)-find(1,t-inferf(timec)));
    end
    eval(sprintf('apic%d=find;',timec));
end
%比較兩張影像最大數值
t=1;
tc1=1;
tc2=1;
if max(apic1(1,:))<max(apic2(1,:)),
    comp=max(apic1(1,:));
else
    comp=max(apic2(1,:));
end
%重建影像
for i=1:comp;
    if i==1,
        d3(1,i)=i;d3(2,i)=apic1(2,1);d3(3,i)=apic2(2,1);
    elseif i==max(apic1(1,:)) && max(apic1(1,:))~=720,
        d3(1,i)=i;d3(2,i)=max(apic1(2,:));d3(3,i)=d3(3,i-1);
    elseif i==720,
        d3(1,i)=i;d3(2,i)=apic1(2,length(apic1));d3(3,i)=apic2(2,length(apic2));
    else
        d3(1,i)=i;
        while i~=0,
            if i>=apic1(1,tc1) && i<apic1(1,tc1+1),
                break;
            else
                tc1=tc1+1;
            end
        end
        A=apic1(1,tc1+1)-apic1(1,tc1);
        B=apic1(2,tc1+1)-apic1(2,tc1);
        if A==0,
            d3(2,i)=apic1(2,tc1);
        else
            d3(2,i)=B/A*(i-apic1(1,tc1))+apic1(2,tc1);
        end
        while i~=0,

```



```

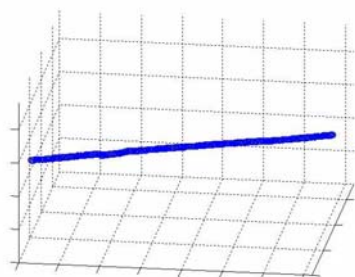
        if  $i \geq \text{apic2}(1,tc2) \ \&\& \ i < \text{apic2}(1,tc2+1)$ ,
            break;
        else
             $tc2 = tc2 + 1$ ;
        end
    end
     $A = \text{apic2}(1,tc2+1) - \text{apic2}(1,tc2)$ ;
     $B = \text{apic2}(2,tc2+1) - \text{apic2}(2,tc2)$ ;
    if  $A == 0$ ,
         $d3(3,i) = \text{apic2}(2,tc2)$ ;
    else
         $d3(3,i) = B/A * (i - \text{apic2}(1,tc2)) + \text{apic2}(2,tc2)$ ;
    end
end
end
end
%繪圖
figure(1);
subplot(2,2,1); image(rgbo1); subplot(2,2,2); image(rgbo2);
subplot(2,2,3); plot(apic1(1,:),apic1(2,:)); axis([0, 720,0,480]);
subplot(2,2,4); plot(apic2(1,:),apic2(2,:)); axis([0, 720,0,480]);
figure(2);
plot3(d3(1,:),d3(2,:),d3(3,:),'o');
grid;
view(8,30);
axis([0, 720,0, 720,0,480]);
%hgsave(figure(1),'fig1');
%hgsave(figure(2),'fig2');
%figure,image(rgbo1);
%figure,
%plot(apic1(1,:),apic1(2,:));
%axis([0, 720,0,480]);
%figure,image(rgbo2);
%figure,
%plot(apic2(1,:),apic2(2,:));
%axis([0, 720,0,480]);

```

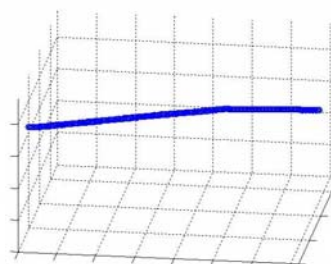
2005-5-4 Experimental Results: (當時攝影方式為球路從右至左飛行)

文化大學棒球隊投手林永坤：

直球：進壘位置偏中，球路直

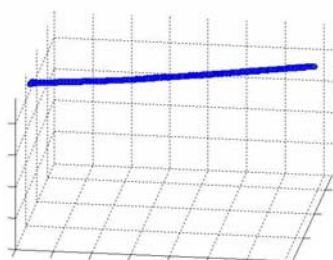


滑球：進壘時略往外角轉彎

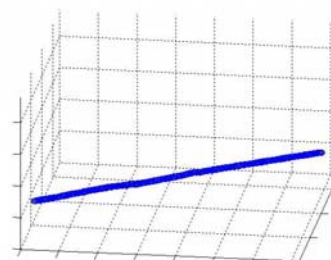


文化大學棒球隊投手黃義哲(2005 年世界盃國手)：

直球：進壘位置偏高但略有尾勁



滑球：進壘位置較低，球路明顯往外角偏移



Eg. Reconstruction of 3D trajectory of flying baseball by two digital video cameras-Version 3. (AutoReadVideo1.m by B. -H. Chen)

(Sol.)

```
clc;
clear all;
close all;
warning off MATLAB:mir_warning_variable_used_as_function
%-----
sample=[0.5,0.5];
predict_num=4; % predict number , predict the in/out trajectory
distance=[300,300];
%-----
for timec=1:2,
    clear find;
    im_cal=0;im_past=0;
    % get Up or left/right:利用色差
    f_string=sprintf('%d.avi',timec);
    fprintf('\nVideo %d \n',timec);
    VideoInfo = aviinfo(f_string);
    I_frame_stop=VideoInfo.NumFrames;
    I_Width=VideoInfo.Width;
    I_Height=VideoInfo.Height;
    for ix=1:1:I_frame_stop
        Video=aviread(f_string,ix);
        if ix>1,
            im_diff=abs(double(Video.cdata)-double(im_past));
            if max(max(max(im_diff)))<20,
                continue;
            end
            im_cal=im_cal+im_diff;
            im_past=Video.cdata;
        else
            im_past=Video.cdata;
        end
    end
    eval(sprintf('rgbo%d=uint8(im_cal)',timec));
    % 轉成灰階
    im=rgb2gray(eval(sprintf('rgbo%d',timec)));
    im=im(:,:1);
```

```

blim=uint8(double(max(max(im)))*sample(timec));
n=1;lk=0;y=0;x=0;o=1;t=2;lnc=0;
%取得有色差位置
for j=1:I_Width,
    k=0;
    sum=0;
    for i=1:I_Height,
        if double(im(i,j))>double(blim),
            sum=sum+(I_Height+1-i);
            k=k+1;
        end
        if k~=0 && sum~=0 && i==I_Height,
            if lk==0,
                lk=k;
            elseif k>lk && o==1 ,
                o=0;
                no=n;
            elseif k<lk && o==0 ,
                o=1;
                nc=no+n;
                if mod(nc,2)~=0,
                    nc=nc-1;
                end
                nc=nc/2;
                if nc~=lnc,
                    find(1,t)=y(nc);
                    find(2,t)=x(nc);
                    t=t+1;
                    fprintf('x=%0.0f y=%0.0fn',y(nc),x(nc));
                end
                lnc=nc;
            end
            x(n)=sum/k;
            y(n)=j;
            n=n+1;
            lk=k;
        end
    end
end

```

```

end
find(1,1)=1;
%前端點預測

temp=(find(2,3:(3+predict_num))-find(2,2:(2+predict_num)))/(find(1,3:(3+predict_num))-find(1,2:(2+predict_num)));
find(2,1)=find(2,2)-mean(temp)*(find(1,2)-find(1,1));

%find(2,1)=find(2,1+inferi(timec))-(find(2,2+inferi(timec))-find(2,1+inferi(timec)))/(find(1,2+inferi(timec))-find(1,1+inferi(timec)))*(find(1,1+inferi(timec))-find(1,1));
if find(2,t-1)<=I_Height,
    find(1,t)=I_Width;
    %後端點預測

temp=(find(2,(t-predict_num):(t-1))-find(2,(t-predict_num-1):(t-2)))/(find(1,(t-predict_num):(t-1))-find(1,(t-predict_num-1):(t-2)));
find(2,t)=find(2,t-1)+mean(temp)*(find(1,t)-find(1,t-1));

%find(2,t)=find(2,t-inferf(timec))+(find(2,t-inferf(timec))-find(2,t-inferf(timec)-1))/(find(1,t-inferf(timec))-find(1,t-inferf(timec)-1))*(find(1,t)-find(1,t-inferf(timec)));
end
eval(sprintf('apic%d=find;',timec));
end
%比較兩張影像最大數值
t=1;
tc1=1;
tc2=1;
if max(apic1(1,:))<max(apic2(1,:)),
    comp=max(apic1(1,:));
else
    comp=max(apic2(1,:));
end
%重建影像
for i=1:comp;
    if i==1,
        d3(1,i)=i;d3(2,i)=apic1(2,1);d3(3,i)=apic2(2,1);
    elseif i==max(apic1(1,:)) && max(apic1(1,:))~=720,
        d3(1,i)=i;d3(2,i)=max(apic1(2,:));d3(3,i)=d3(3,i-1);
    end
end

```

```

elseif i==720,
    d3(1,i)=i;d3(2,i)=apic1(2,length(apic1));d3(3,i)=apic2(2,length(apic2));
else
    d3(1,i)=i;
    while i~=0,
        if i>=apic1(1,tc1) && i<apic1(1,tc1+1),
            break;
        else
            tc1=tc1+1;
        end
    end
    A=apic1(1,tc1+1)-apic1(1,tc1);
    B=apic1(2,tc1+1)-apic1(2,tc1);
    if A==0,
        d3(2,i)=apic1(2,tc1);
    else
        d3(2,i)=B/A*(i-apic1(1,tc1))+apic1(2,tc1);
    end
    while i~=0,
        if i>=apic2(1,tc2) && i<apic2(1,tc2+1),
            break;
        else
            tc2=tc2+1;
        end
    end
    A=apic2(1,tc2+1)-apic2(1,tc2);
    B=apic2(2,tc2+1)-apic2(2,tc2);
    if A==0,
        d3(3,i)=apic2(2,tc2);
    else
        d3(3,i)=B/A*(i-apic2(1,tc2))+apic2(2,tc2);
    end
end
end
end
%繪圖
figure(1);
subplot(2,2,1);
image(rgbo1);

```

```

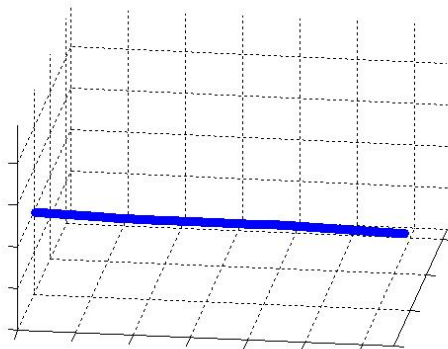
subplot(2,2,2);
image(rgbo2);
subplot(2,2,3);
plot(apic1(1,:),apic1(2,:));
axis([0, I_Width,0,I_Height]);
subplot(2,2,4);
plot(apic2(1,:),apic2(2,:));
axis([0, I_Width,0,I_Height]);
figure(2);
plot3(d3(1,:),d3(2,:),d3(3,:),'o');
grid;
view(8,30);
axis([0, I_Width,0, I_Width,0,I_Height]);
%hgsave(figure(1),'fig1');
%hgsave(figure(2),'fig2');
%figure,image(rgbo1);
%figure,
%plot(apic1(1,:),apic1(2,:));
%axis([0, 720,0,480]);
%figure,image(rgbo2);
%figure,
%plot(apic2(1,:),apic2(2,:));
%axis([0, 720,0,480]);

```

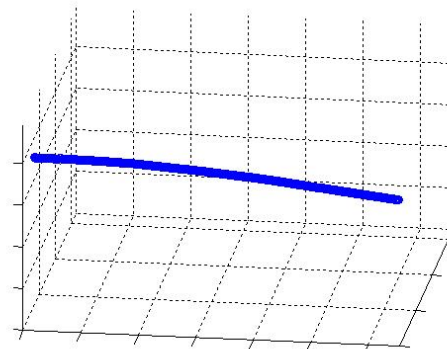
2007-12-26 Experimental Results: (當時攝影方式為球路從左至右飛行)

文化大學棒球隊投手曾琮萱：測試當天除了指叉球會下墜以外，其餘球路都差不多近似直球，表示他對大部份變化球的球路控制不佳

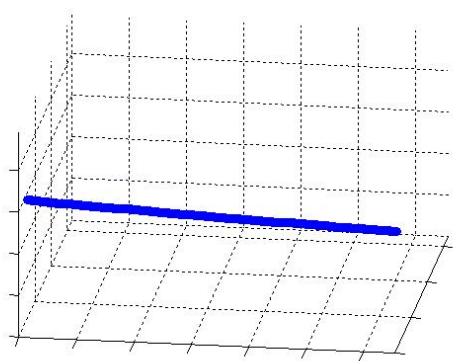
直球



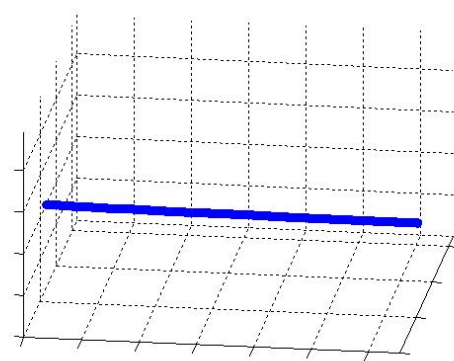
指叉球



滑球

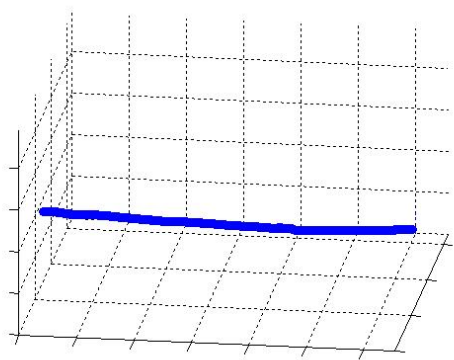


變速球

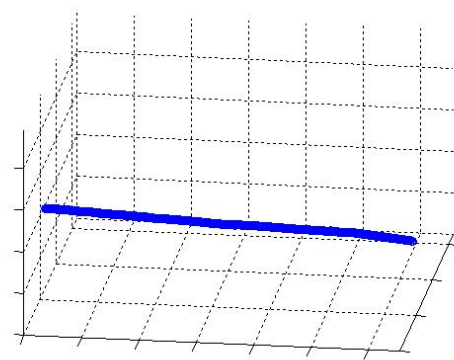


文化大學棒球隊投手廖文楊：測試當天第一個(左)滑球之球路會往右打者外角轉彎，第二個(右)則類似直球無變化，表示他對滑球的球路控制尚不穩定。而其曲球軌跡則類似滑球

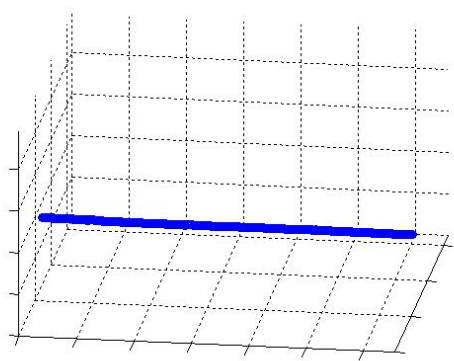
滑球一



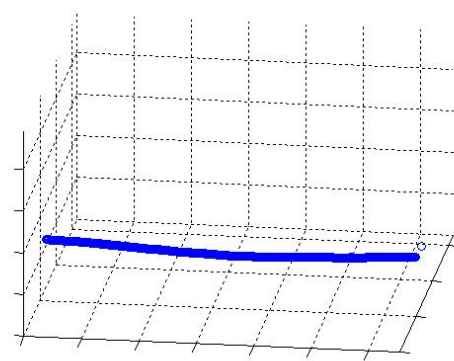
滑球二



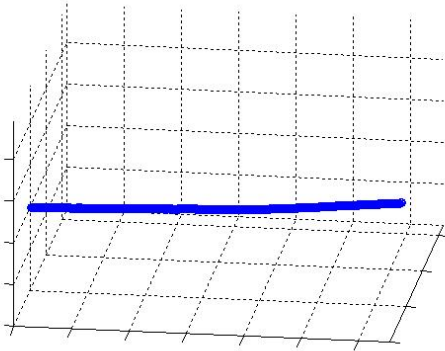
直球



曲球

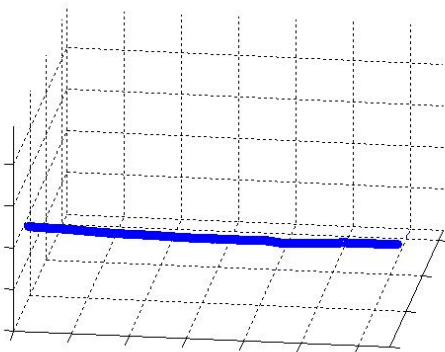


文化大學棒球隊投手王溢正：直球會往右打者外角轉彎，類似滑球，有尾勁
直球

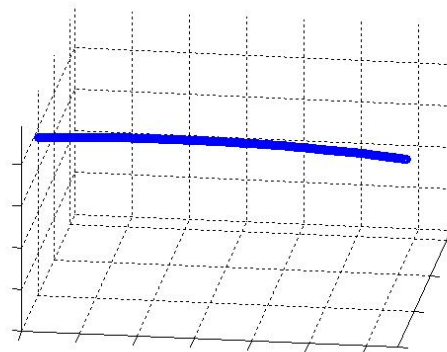


文化大學棒球隊投手許文錚：測試當天第一個(左)變速球之球路類似直球無太多變化，第二個(右)則會下墜，表示他對變速球的球路控制尚不穩定。而其指叉球軌跡則類似直球無變化

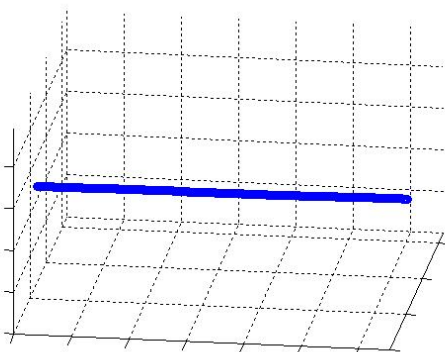
變速球一



變速球二



指叉球

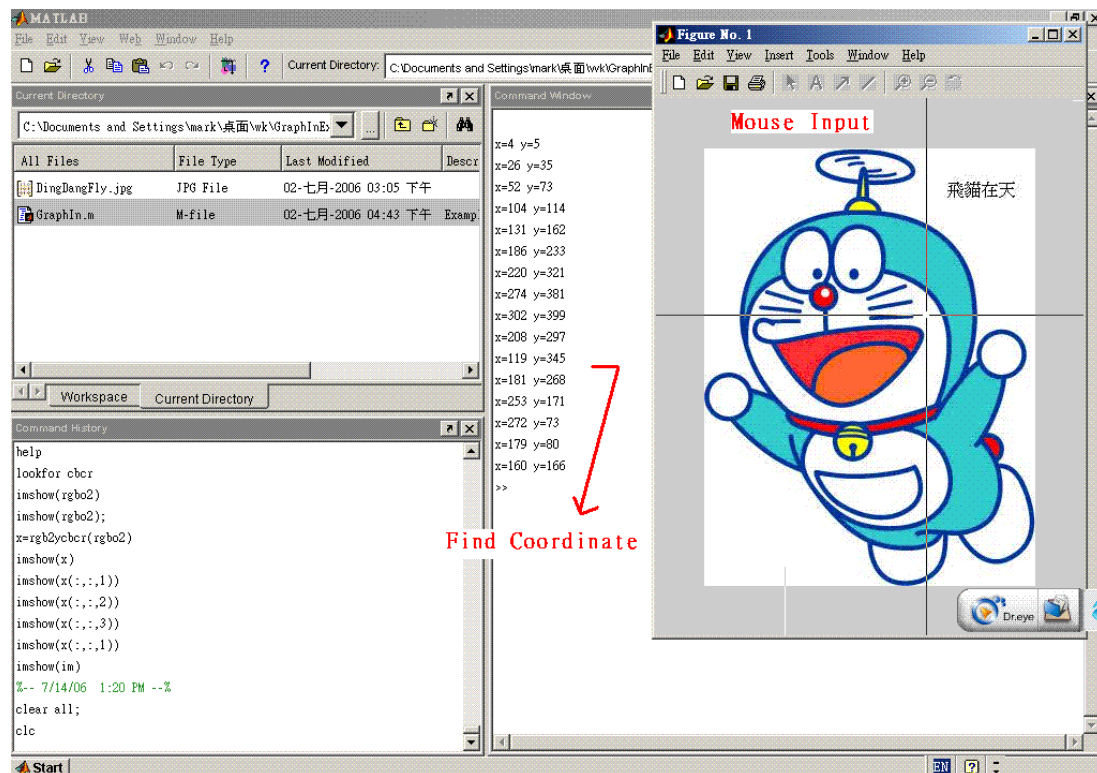


Eg. 利用滑鼠點選而取得座標的範例，可用來改寫成判斷好壞球區之範圍

% Example: Graphical input from mouse.

```
clear all;
im=imread('DingDangFly','jpg');
imshow(im);
while 1,
    [x,y,button]=ginput(1);
    if button~=1, break;
end
fprintf('\nx=%d y=%d %d',round(x),round(y));
end
close all;
```

Experiment 1: Download [GraphIn.m](#) and [DingDangFly.jpg](#)



Eg. Reconstruction of 3D trajectory of flying baseball by two digital video cameras-Version 4. (AutoReadVideo3.m by 黃建維)

```
clc;
clear all;
close all;
warning off MATLAB:mir_warning_variable_used_as_function
%-----
sample=[0.5,0.5];
predict_num=4; % predict number , predict the in/out trajectory
distance=[300,300];
%-----
for timec=1:2,
    clear find;
    im_cal=0;im_past=0;
    % get Up or left/right:利用色差
    f_string=sprintf('%d.avi',timec);
    fprintf('\nVideo %d \n',timec);
    VideoInfo = aviinfo(f_string);
    I_frame_stop=VideoInfo.NumFrames;
    I_Width=VideoInfo.Width;
    I_Height=VideoInfo.Height;
    for ix=1:I_frame_stop
        Video=aviread(f_string,ix);
        if ix>1,
            im_diff=abs(double(Video.cdata)-double(im_past));
            if max(max(max(im_diff)))<20,
                continue;
            end
            im_cal=im_cal+im_diff;
            im_past=Video.cdata;
        else
            im_past=Video.cdata;
        end
    end
    eval(sprintf('rgbo%d=uint8(im_cal);',timec));
    % 轉成灰階
    im=rgb2gray(eval(sprintf('rgbo%d',timec)));
    im=im(:, :, 1);
    blim=uint8(double(max(max(im)))*sample(timec));
```

```

n=1;lk=0;y=0;x=0;o=1;t=2;lnc=0;
%取得有色差位置
for j=1:I_Width,
    k=0;
    sum=0;
    for i=1:I_Height,
        if double(im(i,j))>double(blim),
            sum=sum+(I_Height+1-i);
            k=k+1;
        end
        if k~=0 && sum~=0 && i==I_Height,
            if lk==0,
                lk=k;
            elseif k>lk && o==1 ,
                o=0;
                no=n;
            elseif k<lk && o==0 ,
                o=1;
                nc=no+n;
                if mod(nc,2)~=0,
                    nc=nc-1;
                end
                nc=nc/2;
                if nc~=lnc,
                    find(1,t)=y(nc);
                    find(2,t)=x(nc);
                    t=t+1;
                    %fprintf('x=%.0f y=%.0f\n',y(nc),x(nc));
                end
                lnc=nc;
            end
            x(n)=sum/k;
            y(n)=j;
            n=n+1;
            lk=k;
        end
    end
end
end

```

```

find(1,1)=1;
%前端點預測

temp=(find(2,3:(3+predict_num))-find(2,2:(2+predict_num)))/(find(1,3:(3+predict_num))-find(1,2:(2+predict_num)));
find(2,1)=find(2,2)-mean(temp)*(find(1,2)-find(1,1));

%find(2,1)=find(2,1+inferf(timec))-(find(2,2+inferf(timec))-find(2,1+inferf(timec)))/(find(1,2+inferf(timec))-find(1,1+inferf(timec)))*(find(1,1+inferf(timec))-find(1,1));
if find(2,t-1)<=I_Height,
    find(1,t)=I_Width;
    %後端點預測

temp=(find(2,(t-predict_num):(t-1))-find(2,(t-predict_num-1):(t-2)))/(find(1,(t-predict_num):(t-1))-find(1,(t-predict_num-1):(t-2)));
find(2,t)=find(2,t-1)+mean(temp)*(find(1,t)-find(1,t-1));

%find(2,t)=find(2,t-inferf(timec))+(find(2,t-inferf(timec))-find(2,t-inferf(timec)-1))/(find(1,t-inferf(timec))-find(1,t-inferf(timec)-1))*(find(1,t)-find(1,t-inferf(timec)));
end
eval(sprintf('apic%d=find;',timec));
end
%比較兩張影像最大數值
t=1;
tc1=1;
tc2=1;
if max(apic1(1,:))<max(apic2(1,:)),
    comp=max(apic1(1,:));
else
    comp=max(apic2(1,:));
end
%重建影像
for i=1:comp;
    if i==1,
        d3(1,i)=i;d3(2,i)=apic1(2,1);d3(3,i)=apic2(2,1);
    elseif i==max(apic1(1,:)) && max(apic1(1,:))~=720,
        d3(1,i)=i;d3(2,i)=max(apic1(2,:));d3(3,i)=d3(3,i-1);
    elseif i==720,

```

```

d3(1,i)=i;d3(2,i)=apic1(2,length(apic1));d3(3,i)=apic2(2,length(apic2));
else
d3(1,i)=i;
while i~=0,
    if i>=apic1(1,tc1) && i<apic1(1,tc1+1),
        break;
    else
        tc1=tc1+1;
    end
end
A=apic1(1,tc1+1)-apic1(1,tc1);
B=apic1(2,tc1+1)-apic1(2,tc1);
if A==0,
    d3(2,i)=apic1(2,tc1);
else
    d3(2,i)=B/A*(i-apic1(1,tc1))+apic1(2,tc1);
end
while i~=0,
    if i>=apic2(1,tc2) && i<apic2(1,tc2+1),
        break;
    else
        tc2=tc2+1;
    end
end
A=apic2(1,tc2+1)-apic2(1,tc2);
B=apic2(2,tc2+1)-apic2(2,tc2);
if A==0,
    d3(3,i)=apic2(2,tc2);
else
    d3(3,i)=B/A*(i-apic2(1,tc2))+apic2(2,tc2);
end
end
end

%繪圖
figure(1);
subplot(2,2,1);
image(rgbol);

```

```

set( gca, 'XTick', [], 'YTick', [] );
subplot(2,2,2);
image(rgbo2);
set( gca, 'XTick', [], 'YTick', [] );
subplot(2,2,3);
plot(apic1(1,:),apic1(2,:));
axis([0, I_Width,0,I_Height]);
set( gca, 'XTick', [], 'YTick', [] );
subplot(2,2,4);
plot(apic2(1,:),apic2(2,:));
axis([0, I_Width,0,I_Height]);
set( gca, 'XTick', [], 'YTick', [] );
%-----
figure(2);
plot(apic1(1,:),apic1(2,:),'-');
axis([0, I_Width,0,I_Height]);
set( gca, 'XTick', [], 'YTick', [] );
hold on;
sum=0;
while sum<1
    sum=sum+1;
    [x,y,button]=ginput(4);
    if button~=1, break;
end
fprintf('\nx=%d x=%d x=%d x=%d y=%d y=%d y=%d y=%d \n',round(x),round(y));
end
p3=round(x);
p4=round(y);
xll=(p3(1,1)+p3(2,1))/2;
xrr=(p3(3,1)+p3(4,1))/2;
yuu=(p4(1,1)+p4(4,1))/2;
yff=(p4(2,1)+p4(3,1))/2;
XDD=xll:1:xrr;
xboxx=round(xrr-xll);
yxdd=interp1(apic1(1,:),apic1(2,:),XDD);
yggg=yxdd(1,1);
yccc=yxdd(1,xboxx);
if yggg>=yff&&yggg<=yuu&&yccc>=yff&&yccc<=yuu

```

```

        title('passing the region')
    else
        title('not passing the region')
end
%fill(p3,p4,'y')
p33=[xll xll xrr xrr];
p44=[yuu yff yff yuu];
fill(p33,p44,'y')
%-----
%-----
figure(3);
plot(apic2(1,:),apic2(2,:),'-');
axis([0, I_Width,0,I_Height]);
set( gca, 'XTick', [], 'YTick', [] );
hold on;
sum=0;
while sum<1
    sum=sum+1;
    [x,y,button]=ginput(4);
    if button~=1, break;
end
    fprintf('\nx=%d x=%d x=%d x=%d y=%d y=%d y=%d y=%d \n',round(x),round(y));
end
p1=round(x);
p2=round(y);
xl=(p1(1,1)+p1(2,1))/2;
xr=(p1(3,1)+p1(4,1))/2;
yu=(p2(1,1)+p2(4,1))/2;
yf=(p2(2,1)+p2(3,1))/2;
XD=xl:1:xr;
xbox=round(xr-xl);
yxd=interp1(apic2(1,:),apic2(2,:),XD);
ygg=yxd(1,1);
ycc=yxd(1,xbox);
if ygg>=yf&&ygg<=yu&&ycc>=yf&&ycc<=yu
    title('passing the region')
else
    title('not passing the region')
end

```



```

end
%fill(p1,p2,'y')
p11=[xl xl xr xr];
p22=[yu yf yf yu];
fill(p11,p22,'y')
%-----
%-----

figure(4);
plot3(d3(1,:),d3(2,:),d3(3,),'o');
set( gca, 'XTick', [], 'YTick', [], 'ZTick',[]);
grid;
view(8,30);
axis([0, I_Width,0, I_Width,0,I_Height]);
rotate3d on
if
yggg>=yff&&yggg<=yuu&&yccc>=yff&&yccc<=yuu&&ygg>=yf&&ygg<=yu&&ycc>=yf
&&ycc<=yu
    title(("Strike !! "))
else
    title(("Ball !..... "))
end
end
%figure(5);
%plot3(d3(1,:),d3(3,:),d3(2,),'o');
%grid;
%view(8,30);
%axis([0, I_Width,0, I_Width,0,I_Height]);

%hold on
%plot3(p3,p4,p1,'r');
%plot3(bb,b,b,'r');
%rotate3d on
%if yl>=150&&yl<=300&&yj>=150&&yj<=300
%    title(('wuts a nice strike !!!'))
%else
%    title(("ball !! "))
%end
%set( gca, 'XTick', [], 'YTick', [] );
%set(get(gca,'color'),'color','g')

```

```

%figure(4);
%plot(apic2(1,:),apic2(2,:));
%axis([0, I_Width,0,I_Height]);

%hgsave(figure(3),'fig3');
%hgsave(figure(4),'fig4');
%splinetool(apic2(1,:),apic2(2,:));
%splinetool(apic1(1,:),apic1(2,:));
%figure,image(rgbo1);
%figure,
%plot(apic1(1,:),apic1(2,:));
%axis([0, 720,0,480]);
%figure,image(rgbo2);
%figure,
%plot(apic2(1,:),apic2(2,:));
%axis([0, 720,0,480]);

```

Eg. A MATLAB program of transforming an AVI file into several bmp files (by 張高德博士)

Source program:

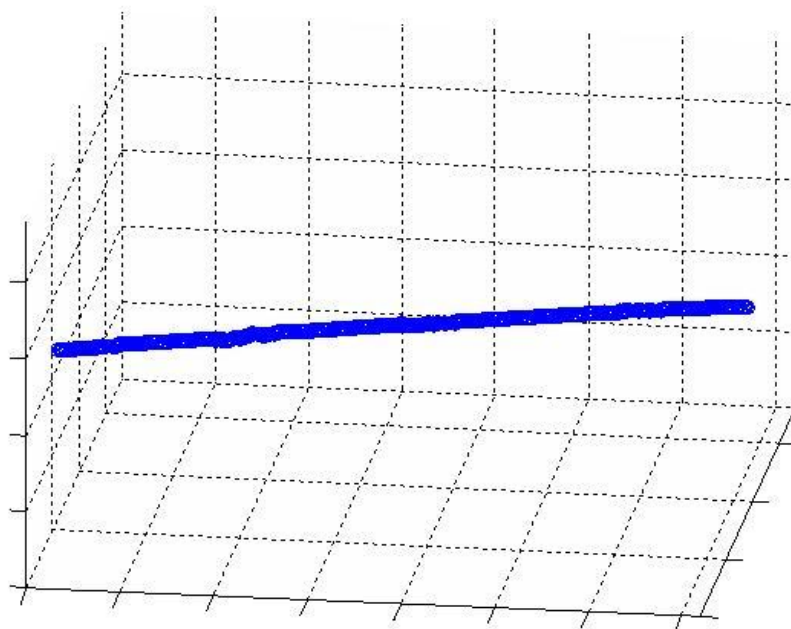
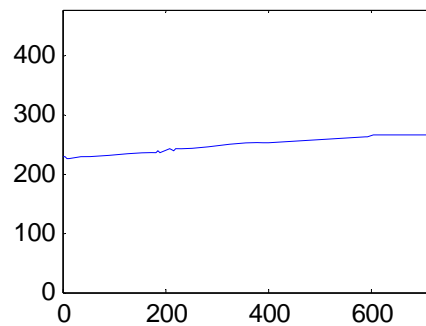
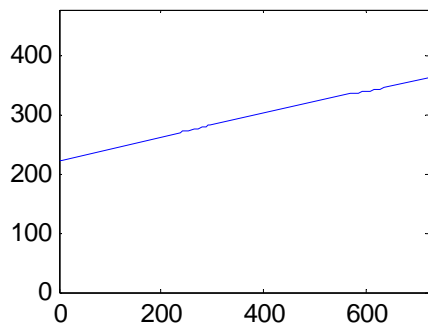
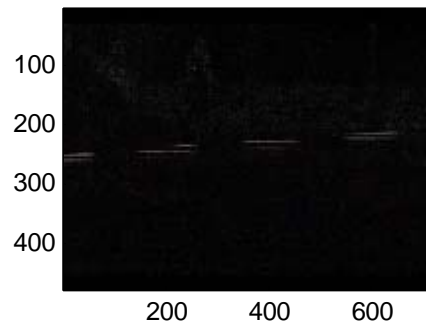
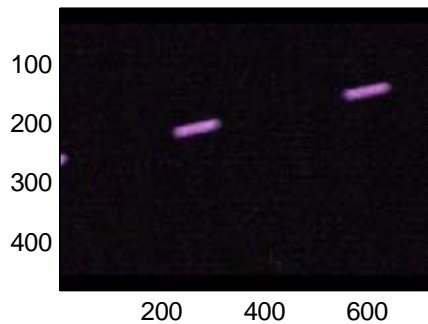
```

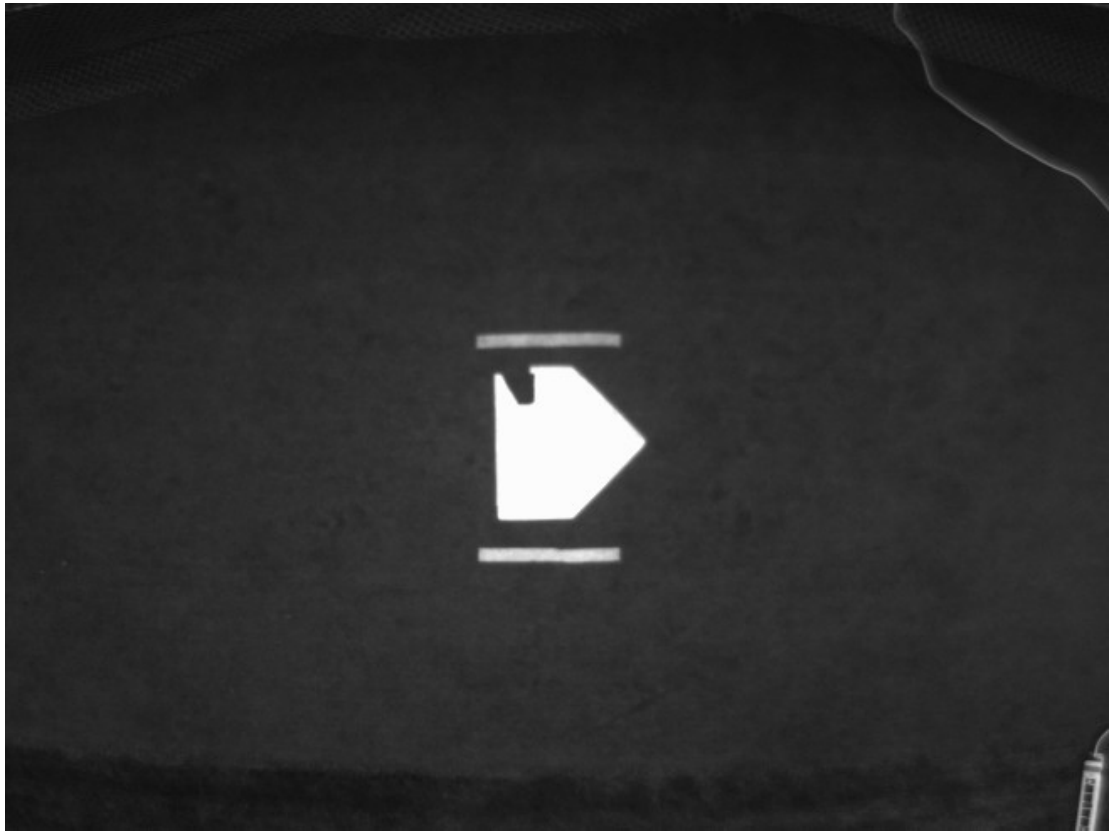
clear;
f_string=sprintf('d:\\kitty1.avi');
VideoInfo = aviinfo(f_string);
I_frame_stop=VideoInfo.NumFrames;

for ix=1:I_frame_stop
    Video=aviread(f_string,ix);
    image_string=sprintf('d:\\%d.bmp',ix);
    imwrite(Video.cdata,image_string,'bmp');
    disp(ix);
end

```

Experiment 2: Download [AutoReadVideo.m](#) (by 陳柏皓), [AutoReadVideo3.m](#) (by 黃建維), [AutoReadVideo4.m](#) and [StrikeRegion.m](#) (by 余信宏), [down.jpg](#), [up.jpg](#), [dvdemocodecv2.1.exe](#), [1.avi](#), and [2.avi](#)

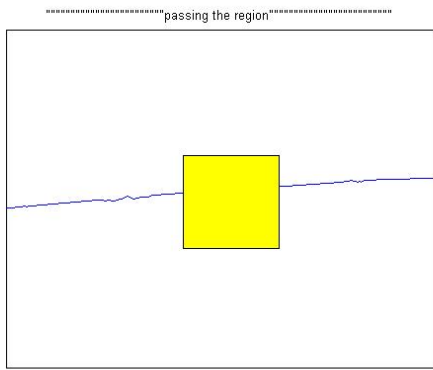




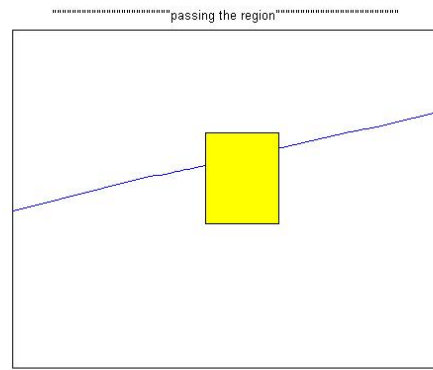
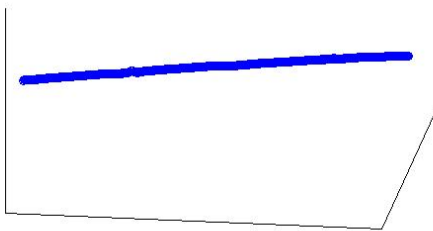
down.jpg



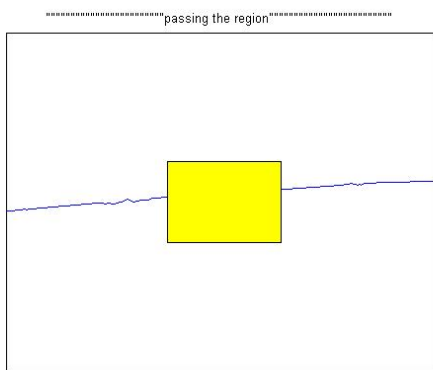
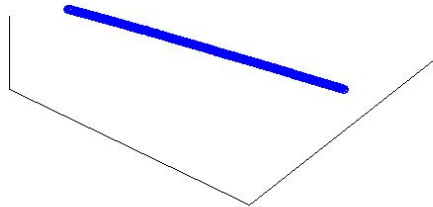
up.jpg



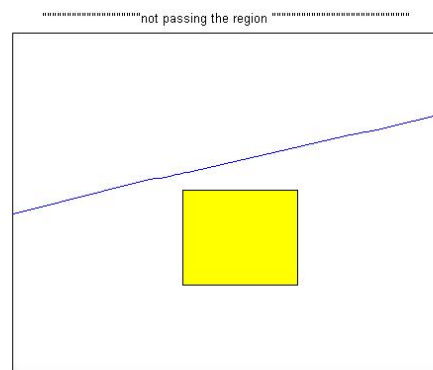
..... Strike II



..... Strike II



..... Ball I.....



..... Ball I.....

